

DISASTER RISK AND BUSINESS CYCLES

by Francois Gourio

Discussed by Urban Jermann

Contribution

- Introduces *Time-varying Disaster Risk* into *Real Business Cycle* model
- Analytical results
- Quantitative findings:
 - ▶ Calibrated model matches key asset pricing and business cycle moments:
 - ★ Unconditional moments for stock market and risk-free rate
 - ★ Predictability regressions
 - ★ $\text{Std}(\Delta Y, \Delta I, \Delta C, \Delta N)$ and $\text{Corr}(\Delta Y, [\Delta I, \Delta C, \Delta N])$
 - ▶ Disaster probability shocks measured to match actual P/D ratios produce reasonable business cycles

Model

$$W(K, z, p) =$$

$$\max_{C, I, N} \left\{ \left(C^v (1 - N)^{1-v} \right)^{1-\gamma} + \beta \left(E_{p', \varepsilon', x'} W(K', z', p') \right)^{\frac{1-\theta}{1-\gamma}} \right\}$$

s.t.:

$$C + I = z^{1-\alpha} K^\alpha N^{1-\alpha}$$

$$K' = \left((1 - \delta) K + \phi \left(\frac{I}{K} \right) K \right) (1 - x' b_k)$$

$$\log z' = \log z + \mu + \sigma \varepsilon' + x' \log(1 - b_{tfp})$$

Analytical results

- ① With $b_k = b_{tfp}$, a disaster leads to equal declines in K , Y , C and I , with N unchanged. (Also in Gabaix)
- ② With $b_k = b_{tfp}$ economy with disasters is the same as one without disasters with different and time-varying discount factor

$$\beta^* = \beta \left(1 - p + p(1 - b_{tfp})^{v(1-\theta)} \right)^{\frac{1-\gamma}{1-\theta}}$$

(as long as no disaster is realized)

Quantitative results 1

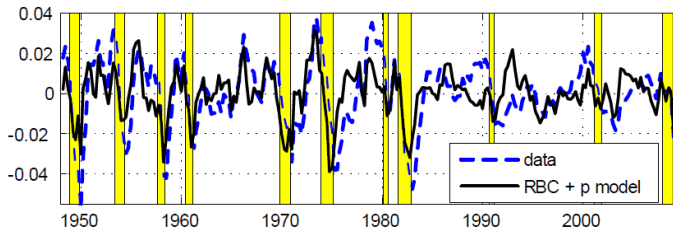
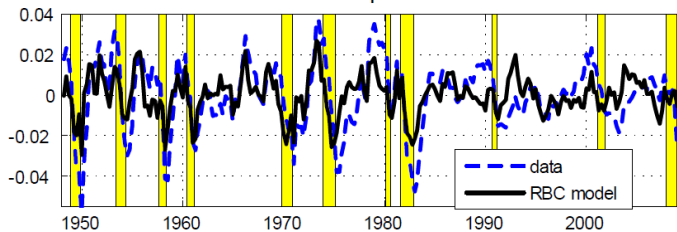
	$E(R_{e,lev} - R_b)$	$E(R_b)$	$\sigma(R_{e,lev})$	$\sigma(R_b)$
Data	1.70	0.21	8.14	0.81
No disaster	0.03	0.71	1.59	0.04
Benchmark	1.51	0.42	7.14	0.85

	$\frac{\sigma(\Delta \log C)}{\sigma(\Delta \log Y)}$	$\frac{\sigma(\Delta \log I)}{\sigma(\Delta \log Y)}$	$\frac{\sigma(\Delta \log N)}{\sigma(\Delta \log Y)}$	$\sigma(\Delta \log Y)$	$\rho_{C,Y}$	$\rho_{I,Y}$	$\rho_{N,Y}$	$\rho_{I,C}$
Data	0.57	2.68	0.92	0.98	0.45	0.68	0.71	0.49
No disaster	0.66	1.86	0.24	0.78	1.00	1.00	0.99	0.99
Benchmark	0.73	3.03	0.54	0.83	0.66	0.85	0.72	0.21

Quantitative results 2

- ① D/P forecasts excess returns and dividend growth at 4 quarters with similar R^2 s as in the data
- ② $Cov(\tilde{y}_t, R_{t+k}^e - R_{t+k}^f)$ matches roughly the data
- ③ VAR evidence of relationship between VIX and GDP matches roughly the data
- ④ $Cov(i_{t+k}, \log(P_t/D_t))$ matches roughly the data
- ⑤ IES estimated with model data is 0.38 (IES is 2 in the model)

output



Definition of dividends in the model

- "Benchmark"

$$D_t = Y_t^\lambda, \quad \text{with } \lambda = 2$$

- Unlevered payout to capital stock

$$D_t^{unlev} = Y_t - w_t N_t - I_t = \alpha Y_t - I_t, \quad \text{with } \alpha = .34$$

	$E(R_{e,lev} - R_b)$	$\sigma(R_{e,lev})$
Data	1.70	8.14
Benchmark, $D_t = Y_t^\lambda$	1.51	7.14
$D_t^{unlev} = \alpha Y_t - I_t$	0.46	0.4

Possible solutions

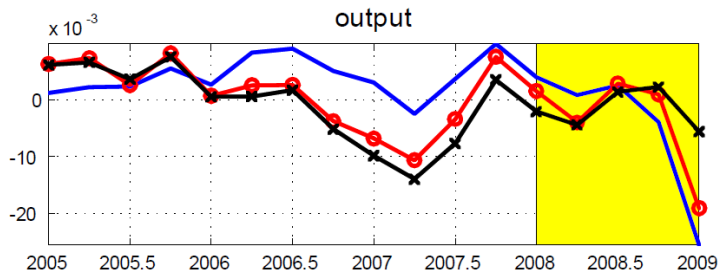
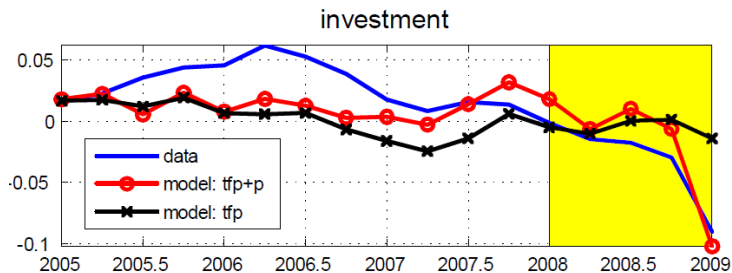
$$D_t^{unlev} = Y_t - w_t N_t - I_t = \alpha Y_t - I_t$$

Capital adjustment cost

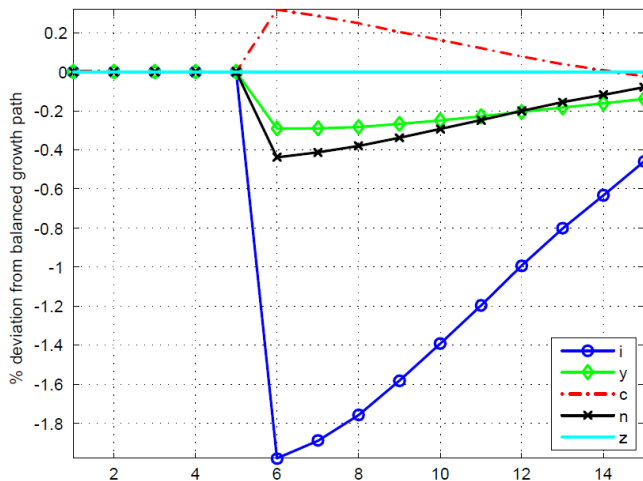
Explicit financial leverage

Operational leverage (Gourio (2007), Danthine and Donaldson (2002))

2008/2009 Recession

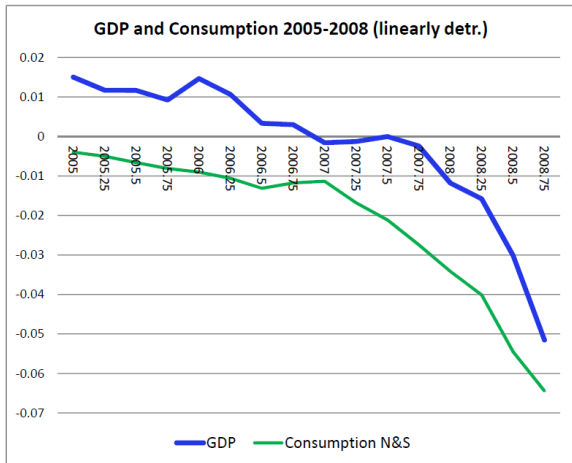


Responses to a shock in the disaster probability



$$Y \equiv z^{1-\alpha} K^\alpha N^{1-\alpha} = C + I$$

$$\underbrace{-\frac{u_N(C, N)}{u_C(C, N)}}_{\text{Labor Supply}} = w_t = \underbrace{F_N(z, K, N)}_{\text{Labor Demand}}$$

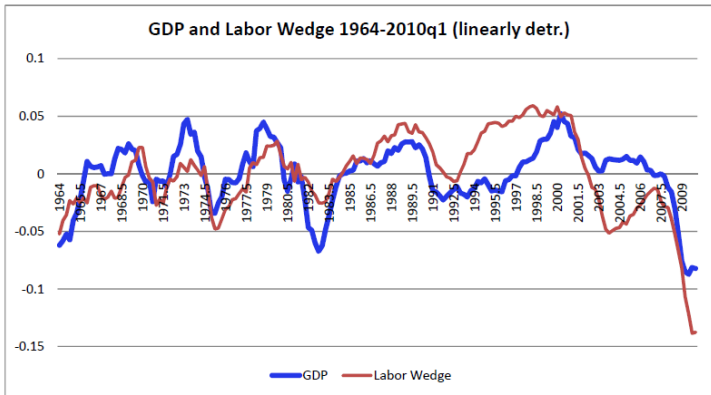


Labor efficiency wedge

$$-\frac{u_N(C, N)}{u_C(C, N)} = F_N(z, K, N) \cdot X$$

$$X = (1 - \tau)$$

$$-\frac{u_N(C, N)}{u_C(C, N)} = (1 - \alpha) \frac{Y}{N} \cdot X$$



Potential drivers of labor wedge

- Tax increase
- Countercyclical markups
- Labor search frictions
- Financial frictions

Conclusion

- Very nice paper!
- Work to be done
 - ▶ Production models with realistic dividends
 - ▶ Richer business cycles